

1.	Amount of Rs. P/ at the end of n <sup>th</sup> year will be A=	$P \times (1+i)^n$
2.	Then (Present Value) P	$\frac{1}{(1+i)^n}$
3.	<b>THE AMOUNT OF ₹.1 PER ANNUM(S)</b> <b>The following three points are to be noted:</b> (i) Re. 1/- becomes due to be invested at the end of the year, (ii) Next Re. 1/- gets added at the end of each year, (iii) Last Re. 1/- will be added at the end of the period	$\frac{A-1}{i}$ $S = \frac{(1+i)^n - 1}{i}$
4.	Annual Sinking Fund Co-efficient=Ic	$Ic = \frac{1}{S}$ $= \frac{i}{(1+i)^n - 1}$
5.	Y.P. ( Single Rate)	<b>= Amount of ₹.1 pa × PV of ₹.1</b> $= \frac{[(1+i)^n - 1]}{i} \times \frac{1}{(1+i)^n}$ $= \frac{[(1+i)^n]}{i \cdot (1+i)^n} - \frac{1}{i \cdot (1+i)^n}$ $= \frac{1}{i} - \frac{1}{i \cdot (1+i)^n}$ $= \frac{1}{i} \left( 1 - \frac{1}{(1+i)^n} \right)$
6.	Y.P. in perpetuity	$= \frac{1}{i}$
7.	Y.P. Reversion to perpetuity <ul style="list-style-type: none"> <li>In this case though the incomes continues up to the perpetuity, but starts at some future date. Such incomes are known as deferred incomes and as Y.P. for non-income period is not available, Y.PR for deferred income can be worked out from the following equation</li> </ul> Therefore;	$Y.P. \text{Reversion}$ $= \frac{1}{i} - \frac{1}{i} \left( 1 - \frac{1}{(1+i)^n} \right)$ <p><b>where i = Rate of interest</b></p> <p><b>n= Number of years for non-income period</b></p>

	<p>Y.P. for deferred income of = Y.P. in perpetuity- Y.P. for the non-income period on a reversion to a perpetuity</p> <p>Single rate basis</p>	
8.	<p><b>YEAR'S PURCHASE (DUAL RATE)</b></p> <ul style="list-style-type: none"> <li>This is the CV (Capitalised Value) of the right to receive ₹.1 at the end of each year for N years at i compound interest, but allowing sinking fund S to recoup ₹.1 after N years. <ul style="list-style-type: none"> <li>Assume the rate of interest for ₹.1 = i &amp; SF = Ic</li> <li>Total income = i + Ic</li> </ul> </li> </ul>	$\frac{1}{i + Ic}$ $= \frac{1}{i + \frac{i}{(1+i)^n - 1}}$
9.	<p><b>D – annual depreciation= ( Straight line method)</b></p>	$\frac{\text{Original cost} - \text{scrap value}}{\text{life in years}} = \frac{C - S}{n}$ <p><b>Where, C – Original cost or Replacement Value</b>  <b>S – Scrap value or Salvage value</b>  <b>n - life of the property in years</b></p>
10.	<p>As per constant percentage method</p> <p>Let C – Original cost or Replacement Value</p> <p>S – Scrap value or Salvage value</p> <p>n - life of the property in years</p> <p>p- Constant percentage of depreciation</p>	<p><b>Value of property at the end of n year if percentage “P” is known</b></p> $= C(1-p)^n$ <p><b>p</b> <math>= 1 - \left(\frac{S}{C}\right)^{1/n}</math></p> <p>Value of property at the end of m year</p> $= C(1-p)^m$ $= C\left(1 - \left(1 - \left(\frac{S}{C}\right)^{1/n}\right)^m\right)$ <p><b>Written down value (W.D.V.) at the end of n year</b></p> $= C(1-p)^n$

11.	Sinking fund method	<p><i>The process for arriving at the Depreciation percentage involves three stages:</i></p> <p>a) To find out the annual sinking fund at suitable rate of interest for total life of the building</p> $I_c = \frac{i}{(1+i)^n - 1}$ <p>Where <b>n= total life of building</b></p> <p>a) To find out the accumulated amount by depositing the annual amount of sinking fund at suitable rate of interest for the age of building</p> $A = \frac{(1+i)^n - 1}{i}$ <p>Where <b>n= age of building</b></p> <p>b) The multiplication of a &amp; b gives the Depreciation percentage to be applied to the prime cost to arrive at amount of Depreciation.</p> <p><b><math>I_c \times A =</math> Sinking fund depreciation</b></p>
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